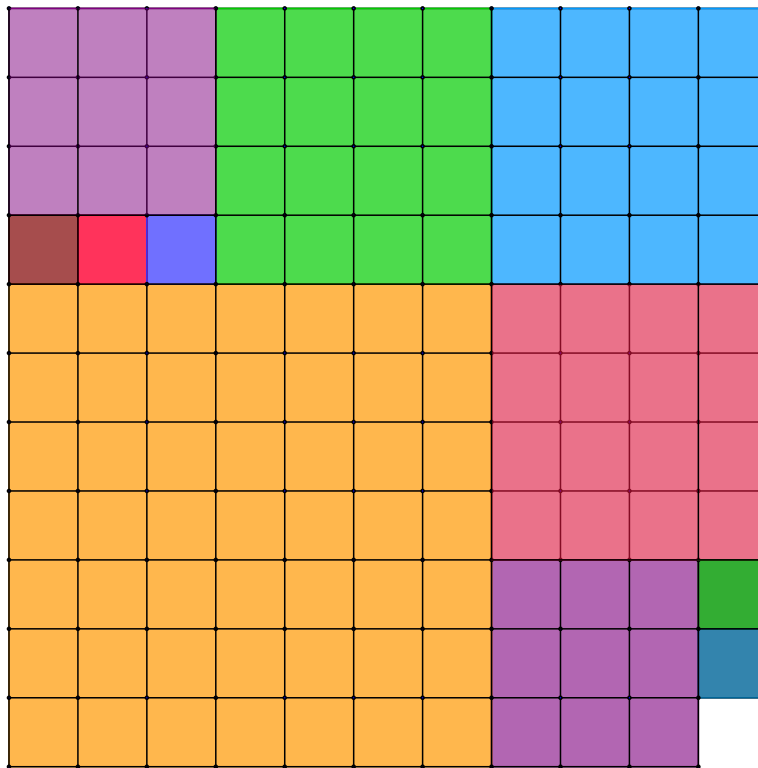


## PROBLEM OF THE MONTH, OCTOBER 2016

(a) You are given a  $11 \times 11$  checkerboard with a missing corner. It can be partitioned into a collection of smaller square checkerboards in various ways. For example into  $120 \times 1$  checkerboards or into a  $10 \times 10$  and twenty  $1 \times 1$  checkerboards etc. In the figure below a partition into eleven squares is shown. What is the minimum number of smaller square checkerboards that this  $11 \times 11$  checkerboard with a missing corner can be partitioned into? Show how this can be done. Note we are not asking for a proof of minimality.



(b) Solve the same problem for a  $12 \times 12$  checkerboard with a missing corner  $1 \times 1$  square.

(c) Solve the same problem for a  $13 \times 13$  checkerboard with a missing corner  $1 \times 1$  square.

Submit your solutions to professor Dan Ismailescu, Mathematics Department via email at [dan.p.ismailescu@hofstra.edu](mailto:dan.p.ismailescu@hofstra.edu), or bring it in person at 103C Roosevelt Hall.